# Mini-Map for M.EE.HS.F.BF. 2 

learning maps

## Subject: Mathematics

Functions-Building Functions (F.BF)
Grade: 11

## Learning Outcome

## DLM Essential Element

M.EE.HS.F.BF. 2 Determine an arithmetic sequence with whole numbers when provided a recursive rule.

## Grade-Level Standard

M.F.BF. 2 Write arithmetic and geometric sequences both recursively and with an explicit formula, use them to model situations, and translate between the two forms.

## Linkage Level Descriptions

| Initial Precursor | Distal Precursor | Proximal Precursor | Target | Successor |
| :---: | :---: | :---: | :---: | :---: |
| Group together objects by attribute values such as shape or size (e.g., group together a square, a rectangle, and a rhombus, as they all have four sides). <br> Contrast or distinguish objects based on attributes such as shape, size, texture, and numerical pattern. Order objects by following a specific rule (e.g., arrange three objects with different sizes from the smallest to largest). | Recognize patterns (i.e., repeating, growing, shrinking) involving numbers or letters (e.g., a, b, b, a, b, b...; 2, 5, 8, 11...). Identify a sequence as an ordered list of numbers that adheres to a common rule between corresponding numbers (e.g., 2, 4, 6, 8...). | Recognize an arithmetic sequence as an ordered list of numbers, such that each term after the first is determined by adding or subtracting the preceding term by a constant amount (e.g., 2, 4, 8, 16...). Recognize the recursive rule in arithmetic sequences by determining how each term in the sequence differs from the preceding term (e.g., the recursive rule in the sequence $2,4,6$, $8 \ldots$ is "add 2"). | Communicate the next term in an arithmetic sequence by determining how each term in a sequence is obtained from the previous term (e.g., the next term in the sequence $2,4,6,8$... is 10). | Determine any term in an arithmetic sequence when the first term (a), common difference (d), and the $n$th term formula for an arithmetic sequence are given [e.g., when the $n$th term formula is $a+$ $d(n-1)$, the first term is 5 , and the common difference is 3 , the 6th term equals $5+3(6-1)$ $=20$ ]. |

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## Initial Precursor and Distal Precursor Linkage Level Relationships to the Target

How is the Initial Precursor related to the Target?
In order to determine an arithmetic sequence (e.g., 1, 4, 7, 10, 13), students begin by learning to notice what is new. The educator draws the students' attention to new objects or stimuli, labels them (e.g., "there are two cubes", "this is a circle", "this fidget is big and this fidget is small"), and the student observes, feels, or otherwise interacts with them. Educators encourage students to begin placing like objects together, drawing attention to the characteristics that make an item the same or different.

## How is the Distal Precursor related to the Target?

As students develop their understanding of attributes and work towards arithmetic sequences, educators provide interactive lessons around patterns using attributes like shape, size, and color. At this level, students are also expected to recognize symbolic (e.g. numbers) patterns. This also requires that students recognize numerals in order (i.e., 1, 2, 3...). Educators should take care to use number names while defining and demonstrating symbolic sequences. While students do not need to say these words, they do need to learn the meanings and the sequence.

## Instructional Resources

| Released Testlets |
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| See the Guide to Practice Activities and Released Testlets. |
| Using Untested (UN) Nodes |
| See the document Using Mini-Maps to Plan Instruction. |

## Link to Text-Only Map

M.EE.HS.F.BF. 2 Determine an arithmetic sequence with whole numbers when provided a recursive rule.


